



Itinerant (metallic) electrons: Drude model

$$\varepsilon(\omega) = 1 - \frac{ne^2}{m_v} \frac{1}{\omega^2 + i\gamma\omega} = 1 - \frac{\Omega_{pl}^2}{\omega^2 + i\gamma\omega}$$
$$0 = \mathbf{q} \times (\mathbf{q} \times \mathbf{E}_{\mathbf{q},\omega}) + \frac{\omega^2}{c^2} \varepsilon(\omega) \mathbf{E}_{\mathbf{q},\omega} = \mathbf{q} \times (\mathbf{q} \times \mathbf{E}_{\mathbf{q},\omega}) + \frac{\omega^2}{c^2} \left(1 - \frac{\Omega_{pl}^2}{\omega^2}\right) \mathbf{E}_{\mathbf{q},\omega} \qquad \Omega_{pl}^2 >> \gamma$$

Longitudinal solution

Wave equation:

$$0 = \mathbf{q} \times \mathbf{E}_{\mathbf{q},\omega} \Leftrightarrow \mathcal{E}(\omega) = 0 \Longrightarrow \omega = \Omega_{pl}$$

Dispersion relation:

$$q^{2} = \frac{\omega^{2}}{c^{2}} \varepsilon(\omega) = \frac{\omega^{2}}{c^{2}} \left(1 - \frac{\Omega_{pl}^{2}}{\omega^{2}}\right) \Longrightarrow \omega(q) = \sqrt{\frac{c^{2}q^{2} + \Omega_{pl}^{2}}{1}}$$





Itinerant (metallic) electrons: Drude model

$$\varepsilon(\omega) = 1 - \frac{ne^2}{m_v} \frac{1}{\omega^2 + i\gamma\omega} = 1 - \frac{\Omega_{pl}^2}{\omega^2 + i\gamma\omega}$$
$$0 = \mathbf{q} \times (\mathbf{q} \times \mathbf{E}_{\mathbf{q},\omega}) + \frac{\omega^2}{c^2} \varepsilon(\omega) \mathbf{E}_{\mathbf{q},\omega} = \mathbf{q} \times (\mathbf{q} \times \mathbf{E}_{\mathbf{q},\omega}) + \frac{\omega^2}{c^2} \left(1 - \frac{\Omega_{pl}^2}{\omega^2}\right) \mathbf{E}_{\mathbf{q},\omega} \qquad \Omega_{pl}^2 >> \gamma$$

Longitudinal solution

Wave equation:

$$0 = \mathbf{q} \times \mathbf{E}_{\mathbf{q},\omega} \Leftrightarrow \mathcal{E}(\omega) = 0 \Longrightarrow \omega = \Omega_{pl}$$

Dispersion relation:

$$q^{2} = \frac{\omega^{2}}{c^{2}} \varepsilon(\omega) = \frac{\omega^{2}}{c^{2}} \left(1 - \frac{\Omega_{pl}^{2}}{\omega^{2}}\right) \Longrightarrow \omega(q) = \sqrt{\frac{c^{2}q^{2} + \Omega_{pl}^{2}}{1}}$$





Itinerant (metallic) electrons: Drude model

0,5 0,4 0,3 0,2

0,1-

0 -5 -10 -15 -20 -25

۳.

Ū,

$$\mathcal{E}(\omega) = \mathcal{E}_{\infty} - \frac{\Omega_{pl}^{2}}{\omega^{2} + i\gamma \omega} = \begin{bmatrix} \mathcal{E}_{\infty} - \frac{\Omega_{pl}^{2}}{\omega^{2} + \gamma^{2}} \end{bmatrix} + i \begin{bmatrix} \frac{\Omega_{pl}^{2}}{\omega} \frac{\gamma}{\omega^{2} + \gamma^{2}} \end{bmatrix} = \mathcal{E}' + i\mathcal{E}'' \qquad \mathcal{O}_{pl} = \frac{\Omega_{pl}}{\sqrt{\mathcal{E}_{\infty}}}$$

$$\frac{\omega < \langle \gamma, \omega_{pl} \rangle}{\mathcal{E}(\omega) \approx i \begin{bmatrix} \frac{\Omega_{pl}^{2}}{\gamma \omega} \end{bmatrix} \operatorname{n} \approx k \qquad \mathcal{E}(\omega) \approx \begin{bmatrix} \varphi_{\infty} - \frac{\Omega_{pl}^{2}}{\omega^{2}} \end{bmatrix} + i \begin{bmatrix} \frac{\gamma}{2} \frac{\Omega_{pl}^{2}}{\omega^{3}} \end{bmatrix} \operatorname{n} \propto k \qquad \mathcal{E}(\omega) \approx \begin{bmatrix} \varepsilon_{\infty} - \frac{\omega_{pl}^{2}}{\omega^{2}} \end{bmatrix} + i \cdot 0 \quad \mathbf{k} \approx 0$$

$$R(\omega) \approx 1 - 2\sqrt{\frac{2\gamma\omega}{\Omega_{pl}^{2}}} = 1 - 2\sqrt{\frac{2\varepsilon_{0}\omega}{\sigma_{0}}} \qquad R(\omega) \approx 1 - \frac{4n}{k^{2}} \approx 1 - \frac{2\gamma}{\Omega_{pl}} \qquad R(\omega) \approx \left| \frac{1 - \sqrt{\varepsilon_{\infty}}}{1 + \sqrt{\varepsilon_{\infty}}} \right|^{2}, \quad T(\omega) \approx 1$$

Itinerant (metallic) electrons: Drude model

$$\varepsilon(\omega) = \varepsilon_{\infty} - \frac{\Omega_{pl}^{2}}{\omega^{2} + i\gamma\omega} = \left[\varepsilon_{\infty} - \frac{\Omega_{pl}^{2}}{\omega^{2} + \gamma^{2}}\right] + i\left[\frac{\Omega_{pl}^{2}}{\omega} \frac{\gamma}{\omega^{2} + \gamma^{2}}\right] = \varepsilon' + i\varepsilon'' \qquad \varpi_{pl} = \frac{\Omega_{pl}}{\sqrt{\varepsilon_{\infty}}}$$

$$(\omega) < (\gamma, \omega_{pl}) \qquad (\gamma, \omega_{pl} < \omega)$$

$$\varepsilon(\omega) > i\left[\frac{\Omega_{pl}^{2}}{\gamma\omega}\right] \quad n \approx k \qquad \varepsilon(\omega) \approx \left[\varepsilon_{\infty} - \frac{\Omega_{pl}^{2}}{\omega^{2}}\right] + i\left[\frac{\gamma\Omega_{pl}^{2}}{\omega^{3}}\right] \quad n \propto k \qquad \varepsilon(\omega) \approx \left[\varepsilon_{\infty} - \frac{\omega_{pl}^{2}}{\omega^{2}}\right] + i \cdot 0 \quad k \approx 0$$

$$R(\omega) \approx 1 - 2\sqrt{\frac{2\gamma\omega}{\Omega_{pl}^{2}}} = 1 - 2\sqrt{\frac{2\varepsilon_{0}\omega}{\sigma_{0}}} \qquad R(\omega) \approx 1 - \frac{4n}{k^{2}} \approx 1 - \frac{2\gamma}{\Omega_{pl}} \qquad R(\omega) \approx \left|\frac{1 - \sqrt{\varepsilon_{\infty}}}{1 + \sqrt{\varepsilon_{\infty}}}\right|^{2}, \quad T(\omega) \approx 1$$



Metals used on reference mirrors



Insulators, semiconductors often used in lenses, windows, cuvette



An electron in electromagnetic fields:
$$H = \frac{(\mathbf{p} + e\mathbf{A})^{2}}{2m} - e\Phi + \frac{e}{m}\mathbf{BS} + \zeta \mathbf{LS}$$
Hydrogen (like) atom:
$$H = \frac{p^{2}}{2m} - \frac{Ze^{2}}{4\pi\varepsilon_{0}r} + \zeta \mathbf{LS}$$

$$H_{0} = -\frac{\hbar^{2}}{2m} \left[\frac{\partial^{2}}{\partial r^{2}} + \frac{2}{r} \frac{\partial}{\partial r} \right] + \frac{\hbar^{2}\mathbf{l}^{2}}{2mr^{2}} - \frac{Ze^{2}}{4\pi\varepsilon_{0}r} \qquad \begin{bmatrix} l_{i}, l_{j} \end{bmatrix} = i\varepsilon_{ijk}l_{k} \\ [l_{i}, l_{j}^{2}] = 0 \\ [l_{i}, H_{0}] = [\mathbf{l}^{2}, H_{0}] = 0$$

$$|nlm\rangle = R_{nl}(r)Y_{l}^{m}(\theta, \varphi) \qquad \qquad \underbrace{\frac{\mathbf{s}(1)}{m}}_{l_{z}} = \frac{\mathbf{p}(3)}{m} \quad \underbrace{\frac{\mathbf{d}(5)}{m}}_{l_{z}} = \frac{\mathbf{s}(1)}{m} = \frac{\mathbf{p}(3)}{m} \quad \underbrace{\frac{\mathbf{d}(5)}{m}}_{l_{z}} = \frac{\mathbf{s}(1)}{m} = \frac{\mathbf{s}(1)}{m}$$

Electromagnetic radiation: $V = -\mathbf{E}\boldsymbol{\mu}$

 $\mu = er$

Time dependent perturbation: $\langle f | V | i \rangle = \langle s_f | \langle n_f l_f m_f | -\mathbf{E} \mu | n_i l_i m_i \rangle | s_i \rangle$ $\langle f | V | i \rangle \propto \delta_{s_{\varepsilon}s_i} \int Y_{l_{\varepsilon}}^{m_f} Y_1^{0,\pm 1} Y_{l_i}^{m_i} d\Omega$ Spherical harmonics [edit] Ι. I = 0^[1] [edit] $Y_0^0(heta,arphi)=rac{1}{2}\sqrt{rac{1}{\pi}}$ I = 1^[1] [edit] $egin{array}{lll} Y_1^{-1}(heta,arphi) = & rac{1}{2}\sqrt{rac{3}{2\pi}} \cdot e^{-iarphi} \cdot \sin heta & = & rac{1}{2}\sqrt{rac{3}{2\pi}} \cdot rac{(x-iy)}{r} \ Y_1^0(heta,arphi) = & rac{1}{2}\sqrt{rac{3}{\pi}} \cdot \cos heta & = & rac{1}{2}\sqrt{rac{3}{\pi}} \cdot rac{z}{r} \end{array}$ $Y_1^1(heta,arphi)= -rac{1}{2}\sqrt{rac{3}{2\pi}}\cdot e^{iarphi}\cdot\sin heta = -rac{1}{2}\sqrt{rac{3}{2\pi}}\cdotrac{(x+iy)}{2}$ I = 2^[1] [edit] $1 \sqrt{15} (x - iu)^2$ 1 /15

$$\begin{split} Y_2^{-2}(\theta,\varphi) &= \frac{1}{4}\sqrt{\frac{15}{2\pi}} \cdot e^{-2i\varphi} \cdot \sin^2 \theta &= \frac{1}{4}\sqrt{\frac{15}{2\pi}} \cdot \frac{(x-iy)}{r^2} \\ Y_2^{-1}(\theta,\varphi) &= \frac{1}{2}\sqrt{\frac{15}{2\pi}} \cdot e^{-i\varphi} \cdot \sin \theta \cdot \cos \theta &= \frac{1}{2}\sqrt{\frac{15}{2\pi}} \cdot \frac{(x-iy)z}{r^2} \\ Y_2^0(\theta,\varphi) &= \frac{1}{4}\sqrt{\frac{5}{\pi}} \cdot (3\cos^2 \theta - 1) &= \frac{1}{4}\sqrt{\frac{5}{\pi}} \cdot \frac{(2z^2 - x^2 - y^2)}{r^2} \\ Y_2^1(\theta,\varphi) &= -\frac{1}{2}\sqrt{\frac{15}{2\pi}} \cdot e^{i\varphi} \cdot \sin \theta \cdot \cos \theta &= -\frac{1}{2}\sqrt{\frac{15}{2\pi}} \cdot \frac{(x+iy)z}{r^2} \\ Y_2^2(\theta,\varphi) &= \frac{1}{4}\sqrt{\frac{15}{2\pi}} \cdot e^{2i\varphi} \cdot \sin^2 \theta &= \frac{1}{4}\sqrt{\frac{15}{2\pi}} \cdot \frac{(x+iy)^2}{r^2} \end{split}$$

Selection rules:

- $m_{f} = m_{i} + 0, \pm 1$
- 11. $||_{f}-|_{i}|=\pm 1$



Electromagnetic radiation: $V = -\mathbf{E} \boldsymbol{\mu}$

 $\mu = e\mathbf{r}$

Time dependent perturbation: $\langle f | V | i \rangle = \langle s_f | \langle n_f l_f m_f | - \mathbf{E} \mu | n_i l_i m_i \rangle | s_i \rangle$ $\langle f | V | i \rangle \propto \delta_{s_f s_i} \int Y_{l_f}^{m_f} Y_1^{0, \pm 1} Y_{l_i}^{m_i} d\Omega$

Balmer series (n=2): $\Delta E = R\left(\frac{1}{n^2} - \frac{1}{m^2}\right)$

Selection rules:

- I. $m_f = m_i + 0, \pm 1$
- II. $|I_f I_i| = \pm 1$









Ti:sapphire LASER





Pump: green, lasing: NIR



Cental wavelength: 800 nm (375 THz) Pulse width: 10-100 fs Repetition rate: 80 MHz ($\frac{c}{2I}$), resonantor: ~2 m

X-ray absorption spectroscopy (XAS)



Sensitive:

composition, charge state, environment



X-ray absorption spectroscopy (XAS) XANES (X-ray Absorption Near Edge Structure) EXAFS (Extended X-Ray Absorption Fine Structure)







Amplitude transmission: $T_j = \exp(-\delta_j - i\phi_j)$

G. C. Bjorklund, et al., Appl. Phys B **32** 145 (1983). W. E. Moerner and T. P. Carter, Phys. Rev. Lett. 59, 2705 (1987).



γ~8 MHz

FIG. 1. FM spectra in the cosine phase for a single crystal of pentacene in p-terphenyl. Trace a, no light on the detector. Trace b, 3 μ W on the detector at a wavelength not in resonance with the O_1 -site absorption. Traces c and d, FM spectra at 1.4 K near the peak of the O1 absorption at 592.3 nm with a focused spot. Trace e, a new spot on the sample, same spectral range as for trace c. Trace f, laser center frequency offset by 50 MHz from that for trace e. Trace g, larger laser spot (0.75 mm diam). Trace h, persistent hole burned in the spectral range of trace g. Trace i, 1.4 K, focused spot. Trace i, 5.6 K, same location. Trace k, 7 K. The vertical scale is exact for traces c and d; all the other traces have the same scale but are offset vertically for clarity. 1 V corresponds to a change in αL of 1.1×10^{-3} . The detection bandwidth was 0.1 to 300 Hz and $v_m = 58.1$ MHz with M = 0.16. The frequency scale was calibrated by optical observation of the rf sideband spacing.

Laser induced fluorescence



FIG. 1. O_1, O_2 region of the fluorescence excitation spectra of pentacene in different *p*-terphenyl crystals. Curve *A*, thick melt-grown crystal showing the Gaussian inhomogeneous bands. *B*, sublimation flake presenting narrower bands and substructure presumably due to cooling-induced defects. *C*, spectrum of a very small volume of a sublimation flake. The dots are the narrow excitation peaks of individual molecules. *D*, calibration spectrum of an etalon.



FIG. 2. Shape of a single molecule's excitation peak at different frequency scales. The bottom spectrum is approximately Lorentzian with FWHM about 12 MHz. The vertical scale is in counts/channel.

M. Orrit abd J. Bernard, Phys. Rev. Lett. 65, 2716 (1990).



Philipp H. P. and E. A. Taft, Phys. Rev. 113, 4 1002 (1959).

Interband transitions





FIG. 6. The logarithm of the transmission as a function of photon energy of a Cu₂O sample at 77° K, showing the details of the yellow series of exciton lines.

Elektrongerjesztések spektroszkópiája

Diszperziós spektroszkópia (UV-NIR)



Nanotechnológia és anyagtudomány: optikai spektroszkópia blokk

Elektrongerjesztések spektroszkópiája

Fourier transzformációs spektroszkópia (NIR-FIR)





Brucker IFS66v Fourier transzformációs IR spektrométer



Nanotechnológia és anyagtudomány: optikai spektroszkópia blokk

Elektrongerjesztések spektroszkópiája

Raman spektrométer



Dilor XY 800 Spectrometer

Monochromatic light source: Ar⁺ Laser (2.54eV), Detector: CCD

- resonance condition with the absorption band of the organic crystalline material.
- resolution: 1.2 cm⁻¹ to 3.5 cm⁻¹.

Nanotechnológia és anyagtudomány: optikai spektroszkópia blokk